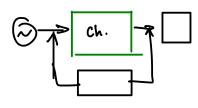
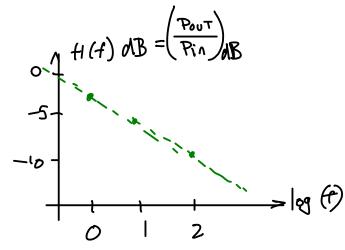
## Channel Characteristics and Impairments

**Exercise 1**: A 10 dBm signal is applied to one end of a 50 ohm coax cable at frequencies of 1, 10 and 100 MHz. At the other end you measure voltages of 7, 4 and 0 dBm respectively. Plot the amplitude of the transfer function of the channel formed by this cable. Show dB on the vertical axis and log of frequency on the horizontal axis.

10 dBm	5	
· →	L	

axis. –	log f	Pin	Pout	
100	0     	10 10	7 4 0	(7-10)=-3 -6 -10





**Exercise 2**: How much *power* would a signal transmitted at the edge of the 3 dB bandwidth passband have compared to the the power it would have if transmitted at the frequency with the lowest loss? What would be the ratio of the *voltages*? What if the bandwidth was defined as the 6 dB bandwidth?

P=
$$\frac{\sqrt{2}}{R}$$
 $\frac{1}{\sqrt{2}}$ 
 $\frac{1}{\sqrt{2}}$ 

**Exercise 3**: If t is a time, which happens first, t or t –  $\mathfrak{F}$ ? If f(t) and f(t –  $\mathfrak{F}$ ) are the input and output of a channel with delay, which is the input and which the output? What is the delay?

t-8 is earlie.

$$f(t) \rightarrow \boxed{\zeta} \rightarrow f(t-\xi)$$

**Exercise 4**: If the phase changes by  $\frac{1}{2}$  and the frequency is 1 kHz, what is the delay? If the phase at the input is  $\frac{1}{4}$ , what is the phase at the output?

$$\Delta \theta = -2\pi + \tau$$

$$-\frac{\pi}{2} = +2\pi \mid 000 \cdot \tau$$

$$= \frac{1}{4000} = +250\mu S$$

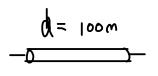
$$\Delta \theta = 800 + -810 = -2\pi \cdot \mid 000 \cdot 250\mu S.$$

$$\Delta \theta = 800 + -810 = -2\pi \cdot \mid 000 \cdot 250\mu S.$$

$$N = \frac{d}{dx}$$

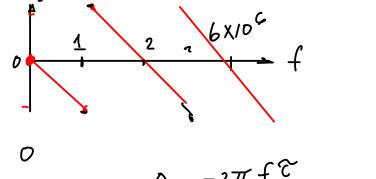
 $N = \frac{d}{t} \qquad C = \frac{d}{r} = \frac{100}{2 \times 10^8} = 0.5 \, \text{m}$ 

**Exercise 5**: A 100m transmission line has a velocity factor of 0.66. Plot the phase response of the cable over the frequency range 0 to 6 MHz. Ð



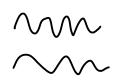
$$N = 0.66 \cdot C$$

$$= 2 \times 10^8 \, \text{m/S}$$



$$f = \frac{\theta}{-\pi} - \frac{2\pi}{\pi}$$

**Exercise 6**: A telephone line is being used to transmit symbols at a rate of 300 symbols/second using frequencies between 800 and 1200 Hz. If the group delay must be less than 10% of the symbol period, what is the maximum allowable variation in group delay over this frequency range?



See Broop 10% T

300 bits/s = 
$$\frac{1}{7} = \frac{1}{300} \approx 3.3 \text{ ms}$$
 $8 < 333 \text{ ms}$ 
 $8 < 333 \text{ ms}$ 

80D

**Exercise 7**: The input to a non-ideal amplifier is the sum of two sine waves at frequencies of 1 and 1.1 MHz. What are the frequencies of the harmonics of these frequencies? What are the frequencies of the (positive) third-order IMD products?

	f <sub>2=   </sub>
2	2 . 2
3	3.3
!	·
;	,

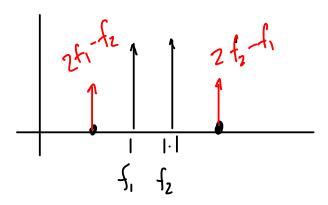
The frequen-  

$$3rd$$
 arden  $|MD|$ ;
$$2f_2 - f_1$$

$$(2 \cdot 1) - 1 \cdot 1$$

$$2 - 1 \cdot 1 = 0.9$$

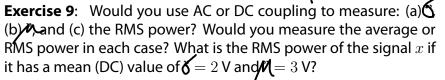
$$2 \cdot 2 \cdot 2 - 4 = 1.2$$



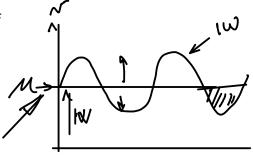
**Exercise 8**: A sinusoidal signal is being transmitted over a noisy telephone channel. The voltage of the signal is measured with an oscilloscope and is found to have a peak voltage of 1V.

Nearby machinery is adding noise onto the line. The voltage of this noise signal is measured with an RMS voltmeter as 100mVrms. The characteristic impedance of the line is 6005and it is terminated with that impedance. Why was an RMS voltmeter used? What is the signal power? What is the noise power? What is the SNR?

\_noise is not \_ sine wave



S=rms



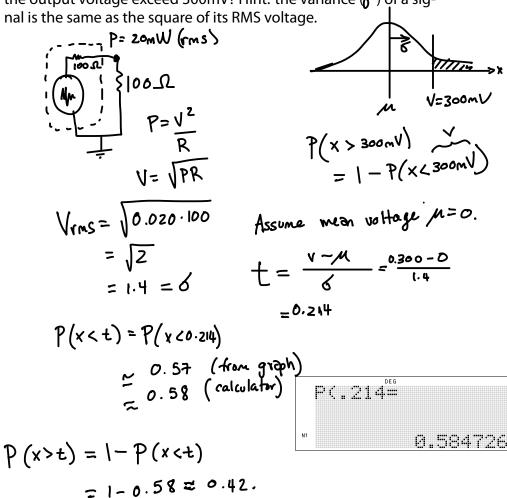
(a) 
$$\leq = AC$$

(b) 
$$M = DC$$
  
(c)  $RMS = (DC)^2 + (AC)^2$ 

**Exercise 10**: What are the units of t?

unitless (v, mbo are all in volts).

**Exercise 11**: The output of a noise source has a Gaussian (normally) distributed output voltage. The (rms) output power is 20mW and the output impedance is 1000 What fraction of the time does the output voltage exceed 300mV? Hint: the variance ( $\zeta^2$ ) of a signal is the same as the square of its RMS voltage



decade = 10 year octave = 8 rates

166 -> 106 KHZ

