## Solutions to Quiz 1

## Question 1

Dolphins generate sounds with frequency components up to 150 kHz (or 200 kHz ). What minimum sampling frequency would be required to digitize dolphin sounds?

## Solution

The minimum sampling rate is twice the highest frequency, in this case $2 \times 150=300 \mathrm{kHz}$ (or $2 \times 200=400 \mathrm{kHz}$ ).

## Question 2

A sound card manufacturer claims their hardware uses 20 (or 24 )-bit samples. What would be the approximate quantization SNR when using their sound card?

## Solution

The approximate quantization SNR is $6 B \mathrm{~dB}$ where $B$ is the number of bits per sample. In this case the SNR would be $6 \times 20=120 \mathrm{~dB}$ ( or $6 \times 24=144 \mathrm{~dB}$ ).

## Question 3

The 32 -bit value $0 \times 12345678$ (or $0 \times 87654321$ ) is transmitted with the bytes in big-endian order. The bits in each byte are transmitted lsb-first. What are the first 16 bits transmitted? Give your answer as a sequence of bits (0's and 1's).

## Solution

The first two bytes (16 bits) transmitted in bigendian order would be $0 \times 12$ and $0 \times 34$ (or $0 \times 87$ and $0 \times 65$ ). In binary, in msb-first order these are 00010010 and 00110100 (or 10000111 and 0110 0101). In lsb-first order the sequence of bits transmitted would be 0100100000101100 (or 1110000110100110 ).

## Question 4

The Runic alphabet used by the Vikings contained the letter "kaun" ( $V$ ) (or "ear" ( $\uparrow$ ) which has a Unicode code point of $\mathrm{U}+16 \mathrm{~B} 4$ (or $\mathrm{U}+16 \mathrm{E} 0$ ).

Find the UTF-8 encoding for this character. Give the byte values in hex. Show your work.

## Solution

The value of the Unicode code point is too large for a single (values $\leq 127$ ) or a two-byte encoding (values $\leq 2047$ ) but a 3-byte encoding can be used (value $\leq$ 65535). The code point value in binary is:
$\mathrm{U}+16 \mathrm{~B} 4=0001011010110100$ (or U+16E0 = 0001011011100000 )

Dividing the bits into groups of 4,6 and 6 bits we get: 0001 ( $0 \times 01$ ), 011010 ( $0 \times 1 \mathrm{~A}$ ), and 110100 ( $0 \times 34$ ) (or 0001 ( $0 \times 01$ ), 011011 ( $0 \times 1 B$ ), 100000 ( $0 \times 20$ )) and adding the appropriate prefixes ( $0 \times E 0,0 \times 80$, $0 \times 80$ ) the UTF-8 encodings are: 0xE1, 0x9A, 0xB4 (or $0 x E 1,0 x 9 B, 0 x A 0$ ).

