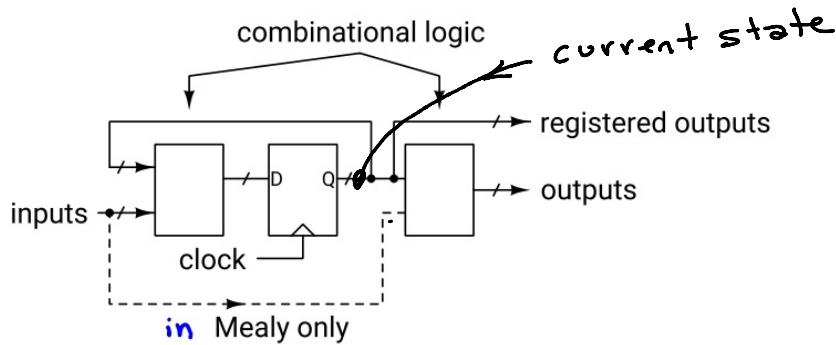


State Machines

Exercise 1: Which signal in the above diagram represents the current state?



Exercise 2: Which outputs change on the rising clock edge? Which change when the input changes?

- Q - state
- only on a Mealy SM do outputs change when i/p's change.

Exercise 3: Why?

for Moore SM each o/p is a function of the state so need one state per o/p value.

Exercise 4: If we used 8-bits of state information, how many states could be represented? What if we used 8 bits of state but used a "one-hot" encoding?

binary: $2^8 = 256$ possible states 00 → FF
0-255

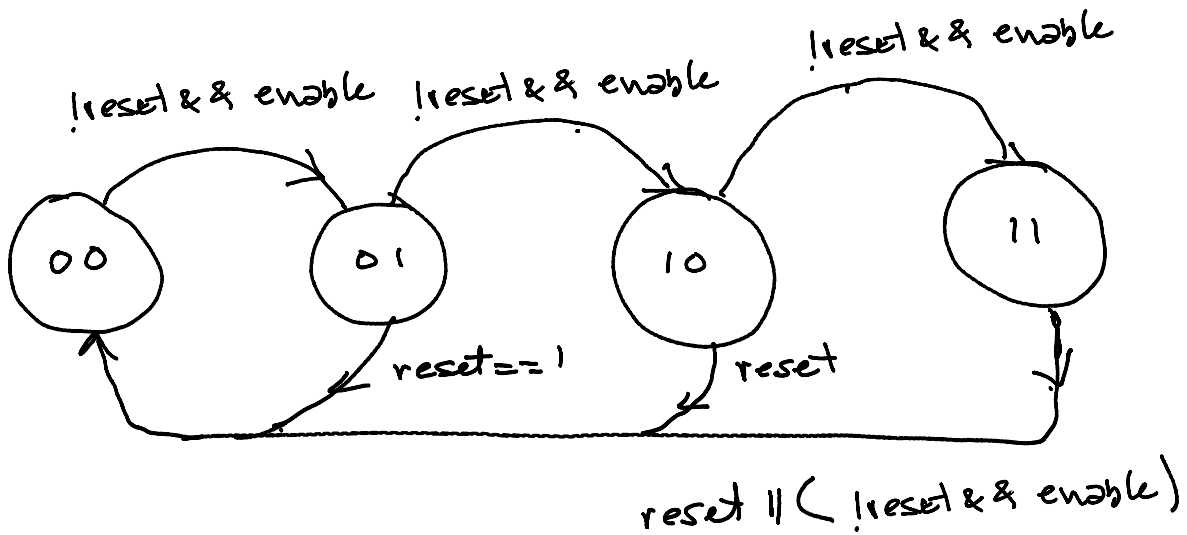
one-hot: $\left. \begin{array}{l} 0000 \quad 0001 \\ \vdots \\ 1000 \quad 0000 \\ [0000 \quad 0000] \end{array} \right\} 8 \text{ possible states.}$
X → not one-hot

Exercise 5: What happens if both reset and enable are asserted?

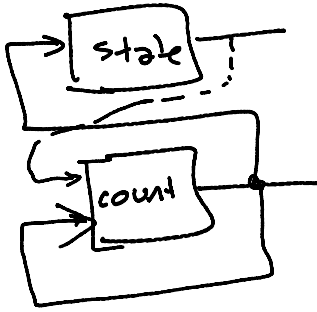
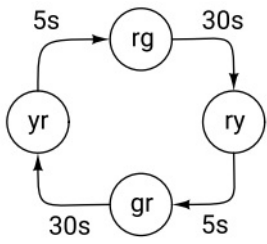
resets to 00

Exercise 6: Draw the state transition diagram.

count		input		next count	
[1]	[0]	reset	enable	[1]	[0]
X	X	1	X	0	0
a	b	0	0	a	b
0	0	0	1	0	1
0	1	0	1	1	0
1	0	0	1	1	1
1	1	0	1	0	0



Exercise 7: Write the state transition table for each state machine.



state	count	next state
rg	0	ry
ry	0	gr
gr	0	yr
yr	0	rg
n	≠ 0	s

count	count, state	next count
0	0 : ry, yr	29
	0 : gr, rg	4
n (≠ 0)	x x	n-1

count	state next	count next
0	gr, rg	29
	ry, yr	4

Exercise 8: What is the size of the expression $\{8'b0, \text{sqrt}\} * \text{sqrt}$? Of $\{8'b0, \text{sqrt}\} * \text{sqrt}$?

sqrt is 8 bits

$\boxed{\text{sqrt} * \text{sqrt}}$ 8 bits

$\max(8, 8) = 8$

$\{8'b0, \text{sqrt}\}$ 8 + 8 = 16 bits

$\underbrace{\{8'b0, \text{sqrt}\}}_{16 \text{ bits}} * \underbrace{\text{sqrt}}_{8 \text{ bits}} \Rightarrow \max(16, 8) = 16 \text{ bits.}$

Exercise 9: Draw the state transition diagram (use $\Delta = 0$ and $\Delta \neq 0$ as the states).

