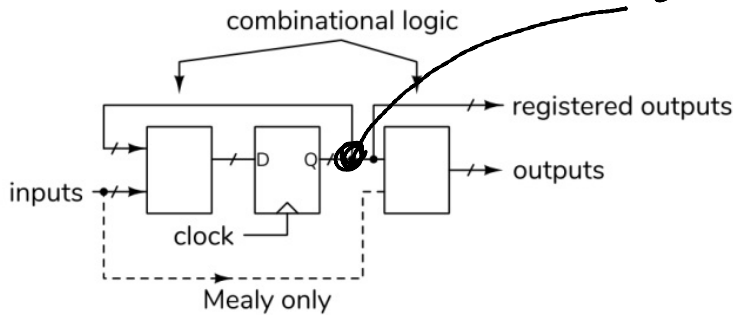


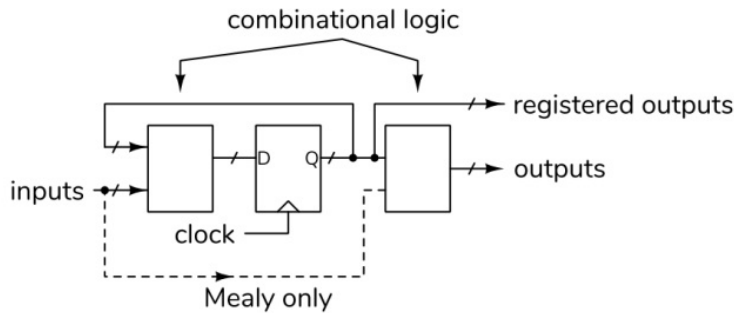
State Machines

Exercise 1: Which signals in the above diagrams indicate the current state?



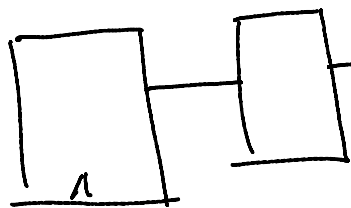
Output of register is the "state".

Exercise 2: Which outputs are registered? Which outputs could change whenever the input changes?



only SM can output change when input changes.

Exercise 3: Why?



$$\text{output} = f(\text{state})$$

because the output is only a function of the state:

State	output
0	A
1	B
2	C
3	C
4	D

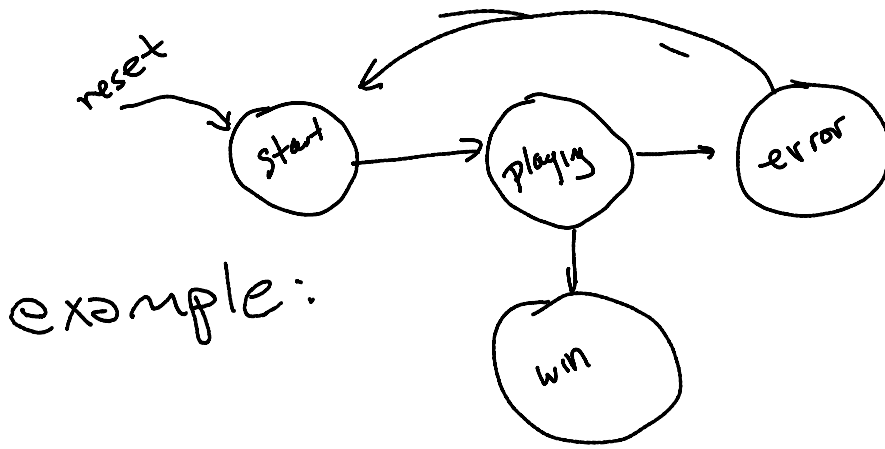
Exercise 4: If we used 8-bits of state information, how many states could be represented? What if we used 8 bits of state but used a "one-hot" encoding?

$$2^k = 2^8 = 256$$

$k = 8$ states

0000 0000 → 1111 1111
 1000 0000, 0100 0000,
 ... 0000 0001

Exercise 5: The link below describes a game. List the top-level game states. Decompose each of these into multiple states. Repeat.

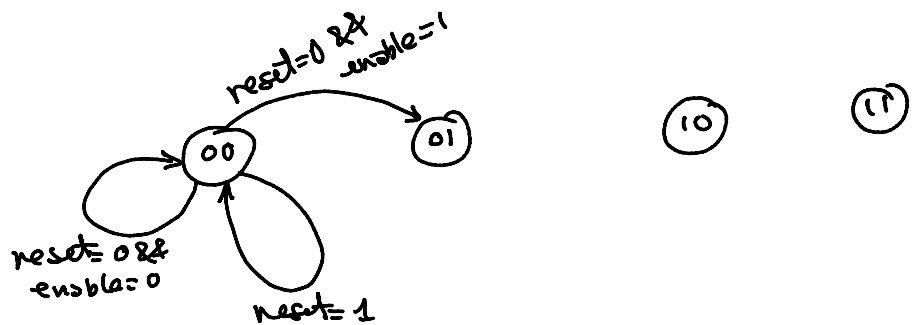


Exercise 6: What happens if both reset and enable are asserted?

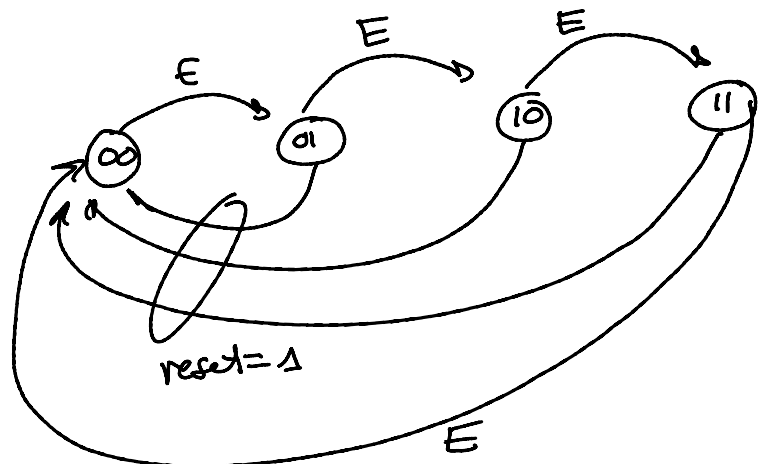
reset

Exercise 7: Draw the state transition diagram.

count		reset	enable	next count	
[1]	[0]			[1]	[0]
0	0	0	1	0	1
0	1	0	1	1	0
1	0	0	1	1	1
1	1	0	1	0	0
a	b	0	0	a	b
X	X	1	X	0	0



$E : enable = 1 \ \&\& \ reset = 0$



Exercise 8: Rewrite the state transition table and the code using unsigned signals n and $n+1$.

n count		reset	enable	next count	
[1]	[0]			[1]	[0]
0	0	0	1	0	1
0	1	0	1	1	0
1	0	0	1	1	1
1	1	0	1	0	0
a	b	0	0	a	b
X	X	1	X	0	0

Handwritten annotations: "replace with n " with an arrow pointing to the first two columns; "replace with $n+1$ " with an arrow pointing to the last two columns; "n+1" written above the last two columns.

Exercise 9: Write the state transition tables for the counter and light sequencer.

state	count	state_next
rg	0	rg
.	.	.
.	.	.

count	state	count_next
n	X	n-1
0	rg yr	4
0	rg yr	2 ↑